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Software to perform temporal disaggregation of economic time series¹

Ana Abad

Instituto Nacional de Estadística
c/ Rosario Pino, 14-16. Office 15.33
28020 - Madrid (SPAIN)
anaabad@ine.es

Enrique M. Quilis (corresponding author)

Instituto Nacional de Estadística
c/ Rosario Pino, 14-16. Office 15.34
28020 - Madrid (SPAIN)
emquilis@ine.es

Abstract

In this paper we present a program designed to perform temporal disaggregation of economic time series using a variety of techniques: univariate methods without indicators (Boot-Feibes-Lisman, Stram-Wei), univariate methods with indicators (Denton, Chow-Lin, Fernandez, Litterman, Santos-Cardoso, Guerrero) and multivariate methods with indicators and transversal constraints (Rossi, Denton, Di Fonzo). The program has two main components: a library of functions coded in Matlab and an Excel interface written in Visual Basic. This software is used to compile the Spanish Quarterly National Accounts (production mode) and to perform specific, detailed analysis that ensure the reliability and integrity of data, models and procedures (research mode).

¹ The programs described in this paper have highly benefited from the comments and observations made by J. Bógalo, J.R. Cancelo, L. Navarro, S. Relloso, and by the participants of seminars on temporal disaggregation techniques held at the Instituto Nacional de Estadística, Instituto Gallego de Estadística and Universidad Autónoma de Madrid. The programs are freely available upon request.

1. INTRODUCTION

In this note we present an interface that enables the use of the temporal disaggregation library as described in Quilis (2004) under the Excel environment. Our main aim is that of combining the best features of both programs. On the one hand, the flexibility, power and easiness of modern worksheets has contributed to its *de facto* adoption as a reference for the storage and management of quantitative data-sets under the most varied circumstances, see Honoré and Poulsen (2002). On the other hand, programming languages oriented towards matrix, mathematical and symbolic manipulation enable economies of scale in the production and analysis of the underlying information, see LeSage (1999).

Basically, the interface consist of two main modules: a program which generates and manages a sequence of contextual menus and a linkage function that activates the temporal disaggregation library according to the user's choices, as expressed by means of the corresponding forms. While the first module has been coded in Visual Basic, the second one has been written in the Matlab programming language.

This interface enables using environments in a simple and efficient way, permitting so quantitative analysts in general and, particularly, national accountants to easily integrate the temporal disaggregation techniques into their "tool-boxes". In this sense, it also facilitates the transition from research mode to production mode, see Gatheral et al. (1999) for a detailed description of these issues.

2. DISAGGREGATION METHODS CONSIDERED

The interface allows for both, univariate as well as multivariate temporal disaggregation techniques. Among the first methods one can find these of Boot-Feibes-Lisman (1967), Denton (1971), Fernández (1981), Chow-Lin (1971), Litterman (1983) and Santos-Cardoso (2001) and among the second group, the ones of Rossi (1982), Denton² and Di Fonzo (1990). See Di Fonzo (1987, 2002) for a deep analysis of these methods.

Although, the Stram-Wei (1986) and of the Guerrero (1990) methods have not been included due to their special information requisites, they remain directly accessible by means of the basic library through the functions `sw()` and `guerrero()` respectively.

The information-input requirements of the different univariate methods available, as well as the relevant constraints imposed on them have been detailed in the following table:

Table 1: Univariate methods

Method	Inputs		Constraints		
	Y : Nx1	x : nxp			
Boot-Feibes-Lisman	X	-	-	-	N≥3
Denton	X	X	p=1	n=s*N	
Fernandez	X	X	p≥1	n≥s*N	
Chow-Lin	X	X			
Litterman	X	X			
Santos-Cardoso	X	X			

Multivariate methods enable the simultaneous estimation of a set of high-frequency data which have to satisfy a transversality condition. The information structure is summarized in the following table:

Table 2: Multivariate methods

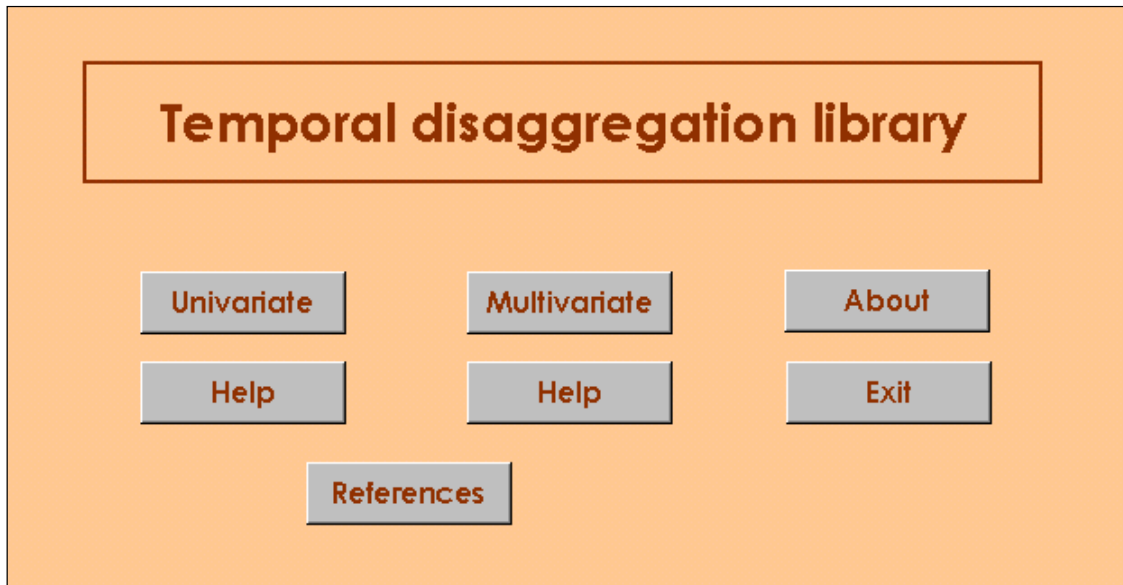
Method	Inputs			Constraints	
	Y : NxM	x : nxm	z : nzx1		
Rossi	X	X	X	m=M	n=nz=s*N
Denton	X	X	X		
Di Fonzo	X	X	X	m≥M	n≥nz≥s*N

² The extension to the multivariate case of the Denton method is described in Di Fonzo (1994) and in Di Fonzo and Marini (2003).

3. STRUCTURE OF THE CONTEXTUAL MENUS

The initial menu allows selecting the type of temporal disaggregation technique: univariate or multivariate. It also grants access to specific information on the interface and on the Matlab library.

Figure 1: Initial Menu



As a next step, in the univariate case, the user is asked to select the specific temporal disaggregation method to be employed and the corresponding required parameters. The menu itself will highlight the pertinent fields (i.e., "degree of differencing " if the Denton method is selected). The user has also to determine the frequency conversion procedure (i.e., annual to quarterly) as well as the nature of the transversal constraint (i.e., a flow's distribution implies the summation of high-frequency data in order to obtain low-frequency ones).

Figure 2: Menu for the univariate temporal disaggregation.

The format of the output-file containing the relevant information, the determination of its level of detail and directory path are chosen in the next contextual menu:

Figure 3: Menu for the format and for the presentation of information. Univariate case.

The output-file can adopt three different formats: summarized, normal and detailed. In the first case, the output consists only in the high-frequency estimates. In the second, the estimation is accompanied by (if the method chosen permits doing so) its standard deviation, its intervals $\pm\sigma$ and its residual series. Finally, if the user chooses the detailed mode, the output will consist in the normal output plus an ASCII-file containing the results of the estimated model and diverse diagnostic checks.

The scheme followed in the multivariate case is similar to the one described above. In the first place, the method, as well as its relevant parameters are selected:

Figure 4: Menu for the multivariate temporal disaggregation.

Multivariate temporal disaggregation library

Frequency conversion

- ☐ annual to quarterly
- ☐ annual to monthly
- ☐ quarterly to monthly

Method

- ☐ Rossi
- ☐ Denton
- ☐ Di Fonzo

Preliminary univariate method

- ☐ Fernandez
- ☐ Chow-Lin
- ☐ Litterman

Type of disaggregation

- ☐ sum
- ☐ average
- ☐ stock last
- ☐ stock first

☐ More than 1 indicator for some aggregates

Degree of differencing

- ☐ 0
- ☐ 1
- ☐ 2

Model for the innovations

- ☐ white noise
- ☐ random walk

Run

Cancel

The selection of the relevant information and of the directory path of the output-file is carried out in the following menu:

Figure 5: Menu for the format and for the presentation of information. Multivariate case

Multivariate temporal disaggregation library: data location

INPUTS

Low frequency time series

Excel file name:
(including path)

Sheet name:

Number of series:

High frequency indicators

Excel file name:
(including path)

Sheet name:

High frequency transversal constraint

Excel file name:
(including path)

Sheet name:

OUTPUT

High frequency estimates

Excel file name:
(including path)

Sheet name:

Detailed information

☐ Standard deviations of estimates

Run Cancel

Note that the series acting as the transversal constraint constitutes a critical (exogenous) input of the information set that has to be provided to the program. Optionally, the output can be accompanied by the standard errors of the high-frequency estimates.

Finally, in case the Di Fonzo method has been selected and various indicators are available for each low-frequency series, then a supplementary menu will be activated. In this menu the user must indicate the number of indicators available for each variable to be temporally disaggregated.

Figure 6: Special contextual menu for the Di Fonzo method.

Di Fonzo method

Number of indicators
for the aggregate 1:

OK Cancel

Appendix A: Univariate case: additional information

- . All the files of the system (Matlab.m functions, documents in pdf format, and this Excel file) must be allocated in the same directory, **c:\td**
- . An additional directory, **c:\td\output**, must be created, to store an ASCII file that holds the information of the **detailed** output (model, parameters, correlations, etc.), when this option is selected
- . It is essential to have access to **Excel**, **Matlab**, and its **Excel Link** toolbox must be operative
- . Both Excel and Matlab must be active during execution, and Matlab must be activated through Excel (via Excel Link)
- . Restrictions on input data:
 - all the input series must be columnwise. The output series will also be columnwise arranged
 - an empty row must mark the end of input data
 - the series to be disaggregated must have a minimum of **3** observations
 - indicators must form a compact matrix (i.e., without empty columns among them)
 - all the indicators must have the same number of observations
- . Restrictions related to methods:
 - the Boot-Feibes-Lisman method does not use indicators; the Denton method requires only 1 indicator; the remaining methods require at least 1 indicator
 - the Denton method requires that $n=s*N$; the remaining methods with indicator require that $n \geq s*N$ (n is the number of observations of the high-frequency indicator, s is the frequency conversion, and N is the number of observations of the low-frequency series)
 - the Chow-Lin, Litterman, and Santos-Cardoso methods allow to set the innovation parameter; the value of this parameter must lie between **-1** and **1**, both excluded
- . Output is written in the selected sheet, beginning in the selected initial cell. This cell marks the upper left corner of the data matrix formed by: estimate (**brief** output) or estimate, standard error, lower bound (estimate - s.e.), upper bound (estimate + s.e.) and residuals (**normal** and **detailed** output)
- . When the output **normal** or **detailed** is selected, the option **Headlines** writes the names of the output series in the line corresponding to the selected cell; data are written from the next line on
- . Due to their intrinsic characteristics, the methods of Boot-Feibes-Lisman (BFL) and Denton do not generate standard errors, lower and upper limits, and BFL neither residuals. In order to preserve a common format for tabulation purposes, the interface fills this series with zeros, in **normal** and **detailed** output options

Appendix B: Multivariate case: additional information

. All the files of the system (Matlab.m functions, documents in pdf format, and this Excel file) must be allocated in the same directory, **c:\td**

. It is essential to have access to **Excel**, **Matlab**, and its **Excel Link** toolbox must be operative

. Both Excel and Matlab must be active during execution, and Matlab must be activated through Excel (via Excel Link)

. Restrictions on input data:

- all the input series must be columnwise. The output series will also be columnwise arranged
- an empty row must mark the end of input data
- all the series to be disaggregated must have the same number of observations, with a minimum of **3**
- indicators must form a compact matrix (i.e., without empty columns among them)
- indicators must be arranged in the same order that the low frequency series
- all the indicators must have the same number of observations
- the transversal constraint must be just **1** series

. Restrictions related to methods:

- the methods of Rossi and Denton require that $m=M$; the Di Fonzo method requires that $m \geq M$ (m is the number of indicators, M is the number of aggregates); so, in the first case just **1** indicator is allowed for each aggregate, and in the last case each aggregate can have **more than 1** indicator

- the methods of Rossi and Denton require that $n=nz=s*N$; the Di Fonzo method requires that $n \geq nz \geq s*N$ (n is the number of observations of the indicators, nz is the number of observations of the transversal constraint, s is the frequency conversion, N is the number of observations of the aggregates); so, extrapolation is allowed only in the last case, with or without binding contemporaneous constraint

. Output is written in the selected sheet, beginning in the selected initial cell. This cell marks the upper left corner of the data matrix formed by estimate series, **in the same order** of the input aggregates

. If **detailed information** option is selected, the Di Fonzo method writes a matrix with the standard error of estimates, on the right side of the matrix with the estimates series, and in the same order. Due to their intrinsic characteristics, the methods of Rossi and Denton do not generate this kind of matrix.

Appendix C: A Matlab temporal disaggregation library

In this appendix we describe the syntax of all the functions contained in the temporal disaggregation library, including those not available through the Excel interface, e.g., `guerrero()`.

C.1. *BOOT-FEIBES-LISMAN*

PURPOSE: Temporal disaggregation using the Boot-Feibes-Lisman method

SYNTAX: `res=bfl(Y,ta,d,s);`

OUTPUT: `res`: a structure
 `res.meth` = 'Boot-Feibes-Lisman';
 `res.N` = Number of low frequency data
 `res.ta` = Type of disaggregation
 `res.s` = Frequency conversion
 `res.d` = Degree of differencing
 `res.y` = High frequency estimate
 `res.et` = Elapsed time

INPUT: `Y`: `Nx1` ---> vector of low frequency data
 `ta`: type of disaggregation
 `ta=1` ---> sum (flow)
 `ta=2` ---> average (index)
 `ta=3` ---> last element (stock) ---> interpolation
 `ta=4` ---> first element (stock) ---> interpolation
 `d`: objective function to be minimized: volatility of ...
 `d=0` ---> levels
 `d=1` ---> first differences
 `d=2` ---> second differences
 `s`: number of high frequency data points for each low frequency data point
 `s=4` ---> annual to quarterly
 `s=12` ---> annual to monthly
 `s=3` ---> quarterly to monthly

LIBRARY: `sw`

SEE ALSO: `tduni_print`, `tduni_plot`

REFERENCE: Boot, J.C.G., Feibes, W. y Lisman, J.H.C. (1967)
"Further methods of derivation of quarterly figures from annual data",
Applied Statistics, vol. 16, n. 1, p. 65-75.

Application:

```
Y=load('c:\x\td\data\Y.anu');
res=bfl(Y,1,1,12);
tduni_print(res,'td.sal');
tduni_plot(res);
edit td.sal
```

ASCII file containing detailed output:

TEMPORAL DI SAGGREGATION METHOD: Boot-Feibes-Lisman	

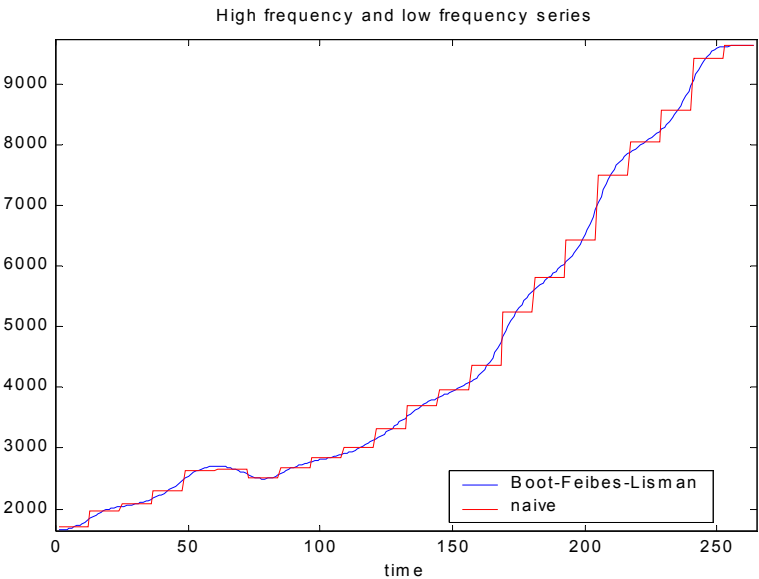
Number of low-frequency observations	: 22
Frequency conversion	: 12
Number of high-frequency observations	: 264

Degree of differencing	: 1
Type of disaggregation:	sum (flow).

High frequency series (columnwise):	

4972.2800	
4971.1389	
.....	
.....	
.....	
7898.7692	
7899.3631	
7899.6600	

Elapsed time:	0.3200



C.2. STRAM-WEI

PURPOSE: Temporal disaggregation using the Stram-Wei method.

SYNTAX: res = sw(Y,ta,d,s,v);

OUTPUT: res: a structure
res.meth = 'Stram-Wei';
res.N = Number of low frequency data
res.ta = Type of disaggregation
res.d = Degree of differencing
res.s = Frequency conversion
res.H = nxN temporal disaggregation matrix
res.y = High frequency estimate
res.et = Elapsed time

INPUT: Y: Nx1 ---> vector of low frequency data
ta: type of disaggregation
 ta=1 ---> sum (flow)
 ta=2 ---> average (index)
 ta=3 ---> last element (stock) ---> interpolation
 ta=4 ---> first element (stock) ---> interpolation
d: number of unit roots
s: number of high frequency data points for each low frequency data point
 s= 4 ---> annual to quarterly
 s=12 ---> annual to monthly
 s= 3 ---> quarterly to monthly
v: (n-d)x(n-d) VCV matrix of high frequency stationary series

LIBRARY: aggreg, aggreg_v, dif, movingsum

SEE ALSO: bfl, tduni_print, tduni_plot

REFERENCE: Stram, D.O. & Wei, W.W.S. (1986) "A methodological note on the disaggregation of time series totals", Journal of Time Series Analysis, vol. 7, n. 4, p. 293-302.

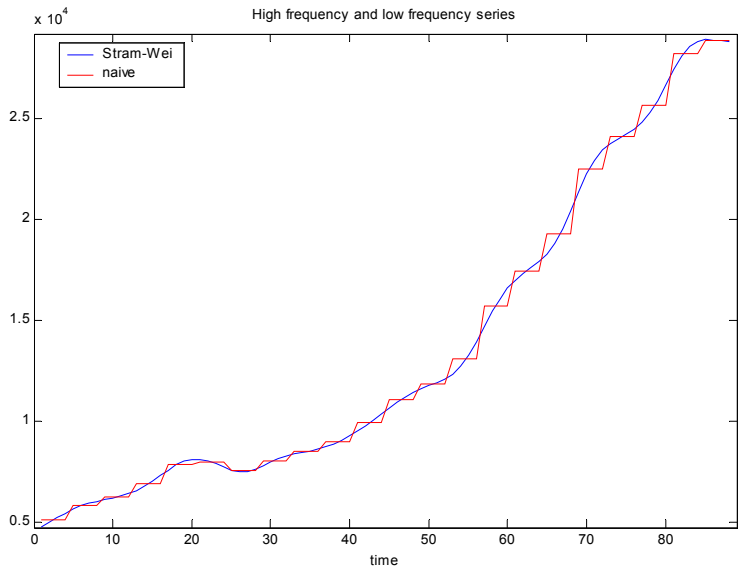
Application:

```
Y=load('c:\x\td\data\Y.anu');
N = length(Y); n = s*N;
% Defining the VCV matrix of stationary high-frequency time series
% Assumption of the example: IMA(d,2)
th1 = 0.9552; th2 = -0.0015; va = 0.87242 * ((223.5965)^2);
acf0 = va * (1+th1^2+th2^2); acf1 = -va * th1 * (1-th2); acf2 = -va * th2;
a0(1:n-d)=acf0; a1(1:n-d-1)=acf1; a2(1:n-d-2)=acf2;
v=diag(a0)+diag(a1,-1)+diag(a2,-2); v=v+tril(v)';
res = sw(Y,1,1,4,v);
tduni_print(res,'sw.sal');
tduni_plot(res);
edit sw.sal
```

ASCII file containing detailed output:

```
*****
TEMPORAL DI SAGGREGATION METHOD: Stram-Wei
*****

-----
Number of low-frequency observations : 22
Frequency conversion : 4
Number of high-frequency observations : 88
-----
Degree of differencing : 1
Type of disaggregation: sum (flow).
-----
High frequency series (columnwise):
-----
4792.4658
5015.8665
.....
.....
.....
28880.7153
28822.8148
-----
Elapsed time: 0.1100
-----
```



C.3. DENTON

PURPOSE: Temporal disaggregation using the Denton method

SYNTAX: res=denton_uni(Y,x,ta,d,s);

OUTPUT: res: a structure
res.meth = 'Denton';
res.N = Number of low frequency data
res.ta = Type of disaggregation
res.s = Frequency conversion
res.d = Degree of differencing
res.y = High frequency estimate
res.x = High frequency indicator
res.U = Low frequency residuals
res.u = High frequency residuals
res.et = Elapsed time

INPUT: Y: Nx1 ---> vector of low frequency data
x: nx1 ---> vector of low frequency data
ta: type of disaggregation
ta=1 ---> sum (flow)
ta=2 ---> average (index)
ta=3 ---> last element (stock) ---> interpolation
ta=4 ---> first element (stock) ---> interpolation
d: objective function to be minimized: volatility of ...
d=0 ---> levels
d=1 ---> first differences
d=2 ---> second differences
s: number of high frequency data points for each low frequency data point
s= 4 ---> annual to quarterly
s=12 ---> annual to monthly
s= 3 ---> quarterly to monthly

LIBRARY: aggreg, bfl

SEE ALSO: tduni_plot, tduni_print

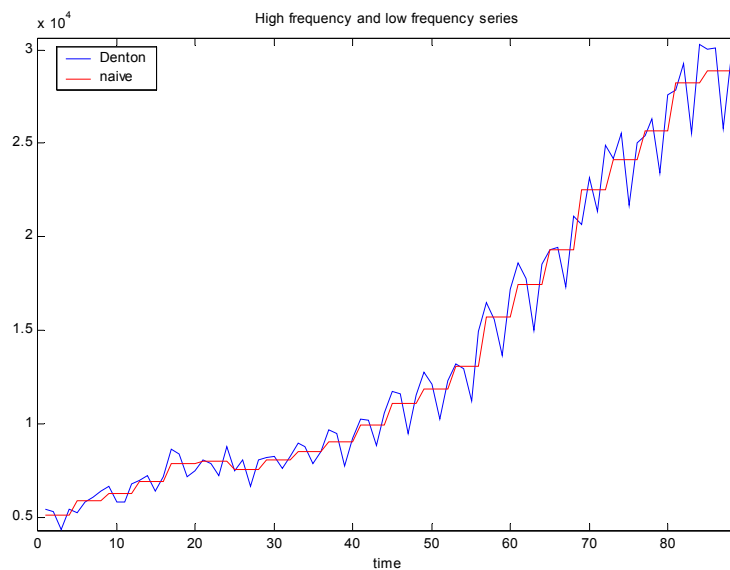
REFERENCE: Denton, F.T. (1971) "Adjustment of monthly or quarterly series to annual totals: an approach based on quadratic minimization", Journal of the American Statistical Society, vol. 66, n. 333, p. 99-102.

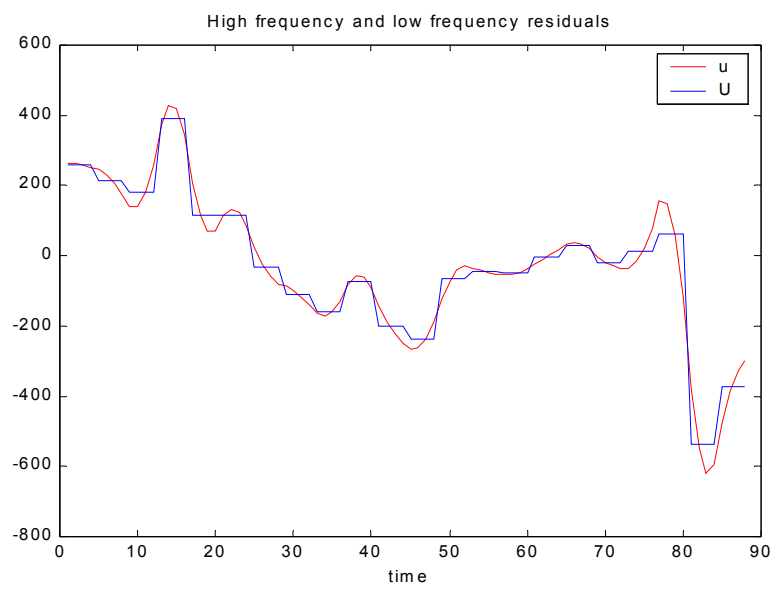
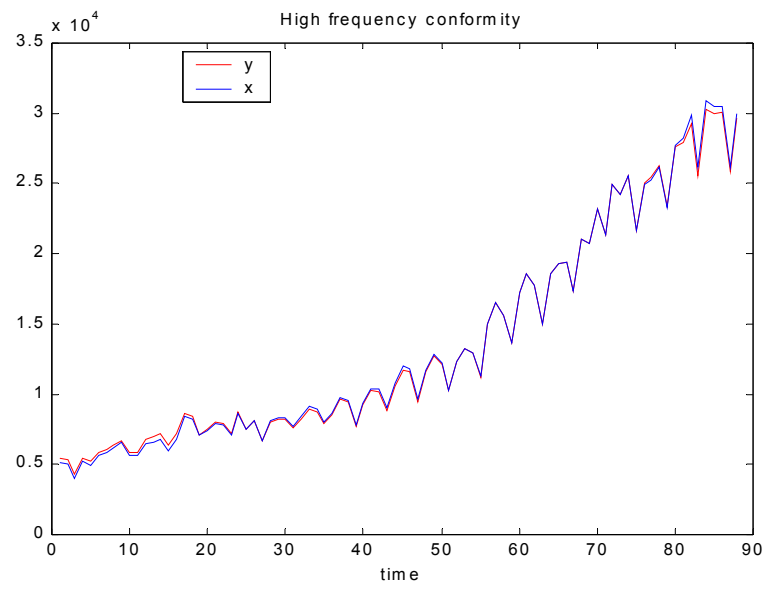
Application:

```
Y=load('c:\x\td\data\Y.prn');  
x=load('c:\x\td\data\x.ind');  
res=denton_uni(Y,x,1,1,4);  
tduni_print(res,'td.sal');  
tduni_plot(res);  
edit td.sal
```

ASCII file containing detailed output:

```
*****
TEMPORAL DI SAGGREGATION METHOD: Denton
*****
-----
Number of low-frequency observations : 22
Frequency conversion : 4
Number of high-frequency observations : 88
-----
Degree of differencing : 1
Type of disaggregation: sum (flow).
-----
High frequency series (columnwise):
-----
15374.9285
15169.7571
.....
.....
.....
24883.3098
20609.0705
24415.4509
-----
Elapsed time: 0.0500
-----
```





C.4. CHOW-LIN

PURPOSE: Temporal disaggregation using the Chow-Lin method

SYNTAX: res=chowlin(Y,x,ta,s,type);

OUTPUT: res: a structure

res.meth = 'Chow-Lin';
res.ta = type of disaggregation
res.type = method of estimation
res.N = nobs. of low frequency data
res.n = nobs. of high-frequency data
res.pred = number of extrapolations
res.s = frequency conversion between low and high freq.
res.p = number of regressors (including intercept)
res.Y = low frequency data
res.x = high frequency indicators
res.y = high frequency estimate
res.y_dt = high frequency estimate: standard deviation
res.y_lo = high frequency estimate: sd - sigma
res.y_up = high frequency estimate: sd + sigma
res.u = high frequency residuals
res.U = low frequency residuals
res.beta = estimated model parameters
res.beta_sd = estimated model parameters: standard deviation
res.beta_t = estimated model parameters: t ratios
res.rho = innovational parameter
res.aic = Information criterion: AIC
res.bic = Information criterion: BIC
res.val = Objective function used by the estimation method
res.r = grid of innovational parameters used by the estimation method

INPUT: Y: Nx1 ---> vector of low frequency data

x: nxp ---> matrix of high frequency indicators (without intercept)

ta: type of disaggregation

ta=1 ---> sum (flow)

ta=2 ---> average (index)

ta=3 ---> last element (stock) ---> interpolation

ta=4 ---> first element (stock) ---> interpolation

s: number of high frequency data points for each low frequency data points

s= 4 ---> annual to quarterly

s=12 ---> annual to monthly

s= 3 ---> quarterly to monthly

type: estimation method:

type=0 ---> weighted least squares

type=1 ---> maximum likelihood

LIBRARY: aggreg

SEE ALSO: litterman, fernandez, td_plot, td_print

REFERENCE: Chow, G. y Lin, A.L. (1971) "Best linear unbiased distribution and extrapolation of economic time series by related series", Review of Economic and Statistics, vol. 53, n. 4, p. 372-375.

Application:

```
Y=load('c:\x\td\data\Y.prn');
x=load('c:\x\td\data\x.ind');
res=chowlin(Y,x,1,4,1);
td_print(res,'td.sal',1);    % op1=1: series are printed in ASCII file
td_plot(res);
edit td.sal
```

ASCII file containing detailed output:

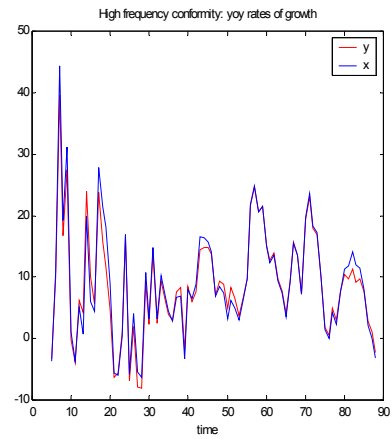
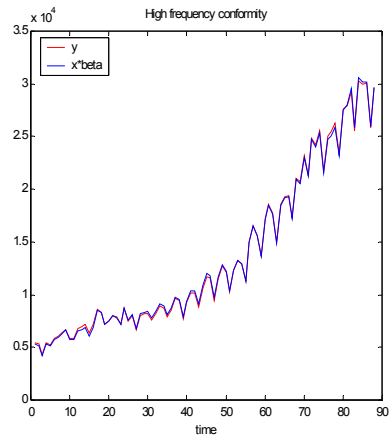
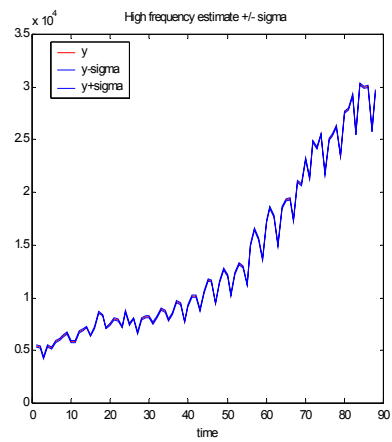
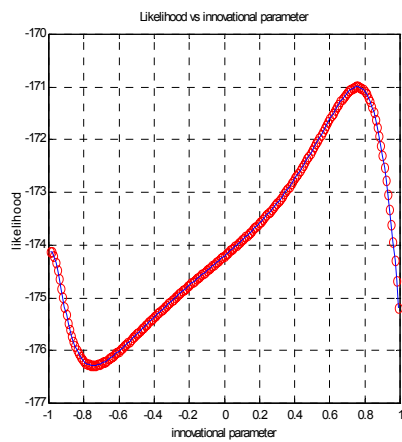
```
*****
TEMPORAL DI SAGGREGATION METHOD: Chow-Li n
*****
-----
Number of low-frequency observations :    22
Frequency conversion                  :     4
Number of high-frequency observations:    88
Number of extrapolations              :     0
Number of indicators (+ constant)     :     2
-----
Type of di saggregation: sum (flow).
-----
Estimation method: Maximum likeli hood.
-----
Beta parameters (columnwise):
* Estimate
* Std. deviation
* t-ratios
-----
215.4518      111.7079      1.9287
 0.9828       0.0069     142.0272
-----
Innovational parameter:    0.7600
-----
AIC:   10.0340
BIC:   10.1828
-----
Low-frequency correlation
- levels      : 0.9998
- yoy rates   : 0.9617
-----
High-frequency correlation
- levels      : 0.9998
- yoy rates   : 0.9812
-----
High-frequency volatility of yoy rates
- estimate    : 8.4282
- indicator   : 9.0226
- ratio       : 0.9341
-----
```

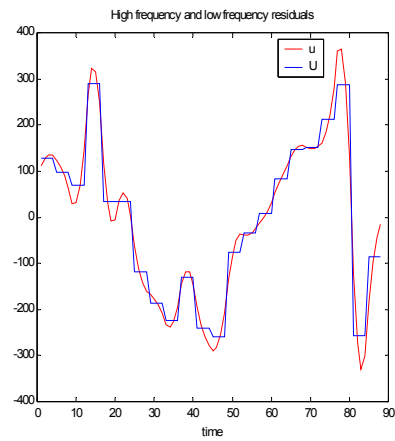
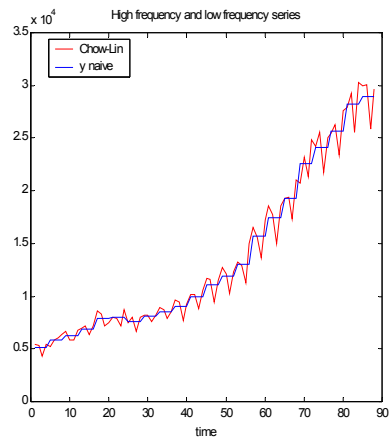
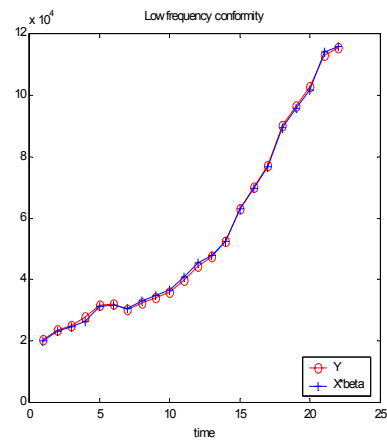
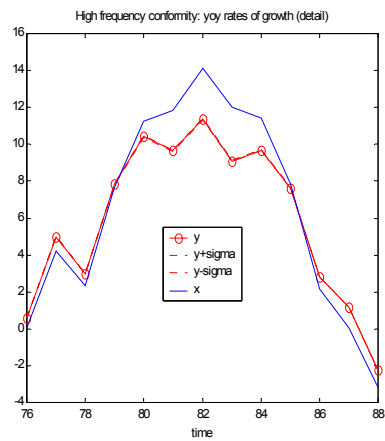
High frequency series (columnwise):

- * Estimate
- * Std. deviation
- * 1 sigma lower limit
- * 1 sigma upper limit
- * Residuals

5400.9896	114.8247	5286.1649	5515.8143	112.3095
5311.2409	83.7296	5227.5112	5394.9705	128.7034
.....
.....
30079.6885	86.7557	29992.9328	30166.4443	-97.4913
25874.7702	86.2867	25788.4835	25961.0569	-43.9249
29614.4998	116.3242	29498.1756	29730.8240	-16.2417

Elapsed time: 1.8100





A variant to be applied with a fixed innovational parameter:

PURPOSE: Temporal disaggregation using the Chow-Lin method
rho parameter is fixed (supplied by the user)

SYNTAX: res=chowlin_fix(Y,x,ta,s,type,rho);

C.5. FERNANDEZ

PURPOSE: Temporal disaggregation using the Fernandez method

SYNTAX: res=fernandez(Y,x,ta,s);

OUTPUT: res: a structure

res.meth = 'Fernandez';
res.ta = type of disaggregation
res.type = method of estimation
res.N = nobs. of low frequency data
res.n = nobs. of high-frequency data
res.pred = number of extrapolations
res.s = frequency conversion between low and high freq.
res.p = number of regressors (including intercept)
res.Y = low frequency data
res.x = high frequency indicators
res.y = high frequency estimate
res.y_dt = high frequency estimate: standard deviation
res.y_lo = high frequency estimate: sd - sigma
res.y_up = high frequency estimate: sd + sigma
res.u = high frequency residuals
res.U = low frequency residuals
res.beta = estimated model parameters
res.beta_sd = estimated model parameters: standard deviation
res.beta_t = estimated model parameters: t ratios
res.aic = Information criterion: AIC
res.bic = Information criterion: BIC

INPUT: Y: Nx1 ---> vector of low frequency data

x: nxp ---> matrix of high frequency indicators (without intercept)

ta: type of disaggregation

ta=1 ---> sum (flow)

ta=2 ---> average (index)

ta=3 ---> last element (stock) ---> interpolation

ta=4 ---> first element (stock) ---> interpolation

s: number of high frequency data points for each low frequency data points

s= 4 ---> annual to quarterly

s=12 ---> annual to monthly

s= 3 ---> quarterly to monthly

LIBRARY: aggreg

SEE ALSO: chowlin, litterman, td_plot, td_print

REFERENCE: Fernández, R.B.(1981)"Methodological note on the estimation of time series", Review of Economic and Statistics, vol. 63, n. 3, p. 471-478.

Application:

```
Y=load('c:\x\td\data\Y.prn');
x=load('c:\x\td\data\x.tri');
res=fernandez(Y,x,1,4);
td_print(res,'td.sal',1); % op1=1: series are printed in ASCII file
td_plot(res);
edit td.sal
```

ASCII file containing detailed output:

```
*****
TEMPORAL DI SAGGREGATION METHOD: Fernandez
*****
-----
Number of low-frequency observations :    22
Frequency conversion                  :     4
Number of high-frequency observations:    90
Number of extrapolations              :     2
Number of indicators (+ constant)     :     2
-----
Type of di saggregation: sum (flow).
-----
Estimation method: Maximum likelihood.
-----
Beta parameters (columnwise):
* Estimate
* Std. deviation
* t-ratios
-----
564.9834      195.9404      2.8834
  0.9360        0.0292     32.0284
-----
Innovational parameter: 1.0000
-----
AIC: 9.6079
BIC: 9.7567
-----
Low-frequency correlation
- levels      : 0.9998
- yoy rates   : 0.9617
-----
High-frequency correlation
- levels      : 0.9997
- yoy rates   : 0.9817
-----
High-frequency volatility of yoy rates
- estimate    : 8.3477
- indicator    : 9.1506
- ratio       : 0.9123
-----
```

High frequency series (columnwise):

- * Estimate
- * Std. deviation
- * 1 sigma lower limit
- * 1 sigma upper limit
- * Residuals

5396.6742	91.6250	5305.0492	5488.2992	-0.0000
5297.9198	60.8871	5237.0327	5358.8069	2.3349
.....
.....
30021.1833	73.6977	29947.4856	30094.8810	920.9566
26022.3844	108.3992	25913.9852	26130.7837	977.8951
29586.1687	92.9937	29493.1750	29679.1625	1006.3644
28366.5459	140.8431	28225.7028	28507.3889	1006.3644
29461.6792	176.5235	29285.1557	29638.2027	1006.3644

Elapsed time: 0.0500				

Graphs are the same than in the Chow-Lin case, except that the first one (objective function vs innovational parameter) is not generated.

C.6. LITTERMAN

PURPOSE: Temporal disaggregation using the Litterman method

SYNTAX: res=litterman(Y,x,ta,s,type);

OUTPUT: res: a structure

res.meth = 'Litterman';
res.ta = type of disaggregation
res.type = method of estimation
res.N = nobs. of low frequency data
res.n = nobs. of high-frequency data
res.pred = number of extrapolations
res.s = frequency conversion between low and high freq.
res.p = number of regressors (including intercept)
res.Y = low frequency data
res.x = high frequency indicators
res.y = high frequency estimate
res.y_dt = high frequency estimate: standard deviation
res.y_lo = high frequency estimate: sd - sigma
res.y_up = high frequency estimate: sd + sigma
res.u = high frequency residuals
res.U = low frequency residuals
res.beta = estimated model parameters
res.beta_sd = estimated model parameters: standard deviation
res.beta_t = estimated model parameters: t ratios
res.rho = innovational parameter
res.aic = Information criterion: AIC
res.bic = Information criterion: BIC
res.val = Objective function used by the estimation method
res.r = grid of innovational parameters used by the estimation method

INPUT: Y: Nx1 ---> vector of low frequency data

x: nxp ---> matrix of high frequency indicators (without intercept)

ta: type of disaggregation

ta=1 ---> sum (flow)

ta=2 ---> average (index)

ta=3 ---> last element (stock) ---> interpolation

ta=4 ---> first element (stock) ---> interpolation

s: number of high frequency data points for each low frequency data points

s= 4 ---> annual to quarterly

s=12 ---> annual to monthly

s= 3 ---> quarterly to monthly

type: estimation method:

type=0 ---> weighted least squares

type=1 ---> maximum likelihood

LIBRARY: aggreg

SEE ALSO: chowlin, fernandez, td_plot, td_print

REFERENCE: Litterman, R.B. (1983a) "A random walk, Markov model for the distribution of time series", Journal of Business and Economic Statistics, vol. 1, n. 2, p. 169-173.

Application:

```
Y=load('c:\x\td\data\Y.prn');
x=load('c:\x\td\data\x.tri');
res=litterman(Y,x,1,4,0);
td_print(res,'td.sal',0); % op1=0: series are not printed in ASCII file
td_plot(res);
edit td.sal
```

ASCII file containing detailed output:

```
*****
TEMPORAL DI SAGGREGATION METHOD: Li t t e r m a n
*****
-----
Number of low-frequency observations :    22
Frequency conversion                  :     4
Number of high-frequency observations:    90
Number of extrapolations              :     2
Number of indicators (+ constant)     :     2
-----
Type of disaggregation: sum (flow).
-----
Estimation method: Weighted least squares.
-----
Beta parameters (columnwise):
* Estimate
* Std. deviation
* t-ratios
-----
1205.4851      233.5241      5.1621
   0.7910         0.0480     16.4821
-----
Innovational parameter:    0.9700
-----
AIC:    7.9478
BIC:    8.0966
-----
Low-frequency correlation
- levels      : 0.9998
- yoy rates   : 0.9617
-----
High-frequency correlation
- levels      : 0.9994
- yoy rates   : 0.9735
-----
High-frequency volatility of yoy rates
- estimate    : 7.6249
- indicator   : 9.1506
- ratio       : 0.8333
-----
Elapsed time:    2.5300
-----
```

A variant to be applied with a fixed innovational parameter:

PURPOSE: Temporal disaggregation using the Litterman method
mu parameter is fixed (supplied by the user)

SYNTAX: res=litterman_fix(Y,x,ta,s,type,mu);

Graphical output contains the same information than in the Chow-Lin case.

C.7. SANTOS SILVA-CARDOSO

function res=ssc(Y,x,ta,s,type)

PURPOSE: Temporal disaggregation using the dynamic Chow-Lin method
proposed by Santos Silva-Cardoso (2001).

SYNTAX: res=ssc(Y,x,ta,s,type);

OUTPUT: res: a structure

res.meth	= 'Santos Silva-Cardoso';
res.ta	= type of disaggregation
res.type	= method of estimation
res.N	= nobs. of low frequency data
res.n	= nobs. of high-frequency data
res.pred	= number of extrapolations
res.s	= frequency conversion between low and high freq.
res.p	= number of regressors (+ intercept)
res.Y	= low frequency data
res.x	= high frequency indicators
res.y	= high frequency estimate
res.y_dt	= high frequency estimate: standard deviation
res.y_lo	= high frequency estimate: sd - sigma
res.y_up	= high frequency estimate: sd + sigma
res.u	= high frequency residuals
res.U	= low frequency residuals
res.gamma	= estimated model parameters (including y(0))
res.gamma_sd	= estimated model parameters: standard deviation
res.gamma_t	= estimated model parameters: t ratios
res.rho	= dynamic parameter phi
res.beta	= estimated model parameters (excluding y(0))
res.beta_sd	= estimated model parameters: standard deviation
res.beta_t	= estimated model parameters: t ratios
res.aic	= Information criterion: AIC
res.bic	= Information criterion: BIC
res.val	= Objective function used by the estimation method
res.r	= grid of dynamic parameters used by the estimation method
res.et	= elapsed time

INPUT: Y: Nx1 ---> vector of low frequency data

x: nxp ---> matrix of high frequency indicators (without intercept)

ta: type of disaggregation

ta=1 ---> sum (flow)

ta=2 ---> average (index)

ta=3 ---> last element (stock) ---> interpolation

ta=4 ---> first element (stock) ---> interpolation

s: number of high frequency data points for each low frequency data points

s= 4 ---> annual to quarterly

s=12 ---> annual to monthly

s= 3 ---> quarterly to monthly

type: estimation method:

type=0 ---> weighted least squares

type=1 ---> maximum likelihood

LIBRARY: aggreg

SEE ALSO: chowlin, litterman, fernandez, td_plot, td_print

REFERENCE: Santos, J.M.C. y Cardoso, F.(2001) "The Chow-Lin method
using dynamic models", Economic Modelling, vol. 18, p. 269-280.

Application:

```
Y=load('c:\x\td\data\Y.prn');
x=load('c:\x\td\data\x.tri');
res=ssc(Y,x,1,4,1);
td_print(res,'td.sal',0);
edit td.sal;
% Calling graph function
td_plot(res);
```

ASCII file containing detailed output:

```
*****
TEMPORAL DI SAGGREGATION METHOD: Santos Silva-Cardoso
*****
```

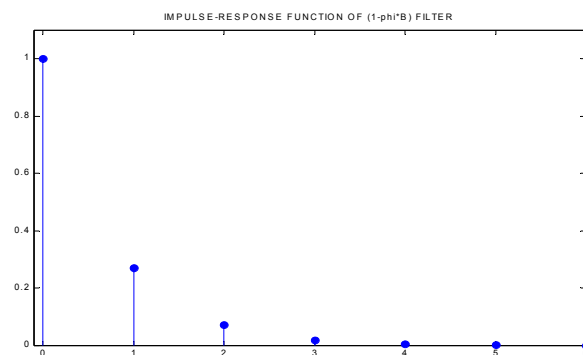
```
-----
Number of low-frequency observations :    32
Frequency conversion                  :     4
Number of high-frequency observations:   128
Number of extrapolations              :     0
Number of indicators (+ constant)     :     2
-----
Type of disaggregation: sum (flow).
-----
Estimation method: Maximum likelihood.
-----
Beta parameters (columnwise):
* Estimate
* Std. deviation
* t-ratios
-----
      1.0946      3.7817      0.2895
      0.6718      0.0049     136.9983
-----
Dynamic parameter:    0.2600
-----
Long-run beta parameters (columnwise):
      1.4792
      0.9078
-----
Truncation remainder: expected y(0):
* Estimate
* Std. deviation
* t-ratios
-----
    310.3328      90.5351      3.4278
-----
```

```

-----
AIC:    5.2524
BIC:    5.3898
-----
Low-frequency correlation
- levels : 0.9994
- yoy rates : 0.8561
-----
High-frequency correlation
- levels : 0.9993
- yoy rates : 0.8881
-----
High-frequency volatility of yoy rates
- estimate : 2.0592
- indicator : 2.3430
- ratio : 0.8789
-----

```

Graphical output contains the same information than in the Chow-Lin case and includes a plot of the implied impulse-response function:



A variant to be applied with a fixed innovational parameter:

```

-----
PURPOSE: Temporal disaggregation using the Santos Silva-Cardoso method
         Phi parameter is fixed (supplied by the user)
-----

```

```

SYNTAX: res=ssc_fix(Y,x,ta,s,type,phi);
-----

```

C.8. GUERRERO

```
function res=guerrero(Y,x,ta,s,rexw,rex);
```

PURPOSE: ARIMA-based temporal disaggregation: Guerrero method

SYNTAX: res=guerrero(Y,x,ta,s,rexw,rex);

OUTPUT: res: a structure

```
res.meth  ='Guerrero';  
res.ta    = type of disaggregation  
res.N      = nobs. of low frequency data  
res.n      = nobs. of high-frequency data  
res.pred   = number of extrapolations  
res.s      = frequency conversion between low and high freq.  
res.p      = number of regressors (+ intercept)  
res.Y      = low frequency data  
res.x      = high frequency indicators  
res.w      = scaled indicator (preliminary hf estimate)  
res.y1     = first stage high frequency estimate  
res.y      = final high frequency estimate  
res.y_dt   = high frequency estimate: standard deviation  
res.y_lo   = high frequency estimate: sd - sigma  
res.y_up   = high frequency estimate: sd + sigma  
res.delta  = high frequency discrepancy (y1-w)  
res.u      = high frequency residuals (y-w)  
res.U      = low frequency residuals (Cu)  
res.beta   = estimated parameters for scaling x  
res.k      = statistic to test compatibility  
res.et     = elapsed time
```

INPUT: Y: Nx1 ---> vector of low frequency data

x: nxp ---> matrix of high frequency indicators (without intercept)

ta: type of disaggregation

ta=1 ---> sum (flow)

ta=2 ---> average (index)

ta=3 ---> last element (stock) ---> interpolation

ta=4 ---> first element (stock) ---> interpolation

s: number of high frequency data points for each low frequency data points

s= 4 ---> annual to quarterly

s=12 ---> annual to monthly

s= 3 ---> quarterly to monthly

rexw, rexd ---> a structure containing the parameters of ARIMA model
for indicator and discrepancy, respectively (see calT function)

LIBRARY: aggreg, calT, numpar, ols

SEE ALSO: chowlin, litterman, fernandez, td_print, td_plot

REFERENCE: Guerrero, V. (1990) "Temporal disaggregation of time
series: an ARIMA-based approach", International Statistical
Review, vol. 58, p. 29-46.

Application:

```
Y=load('c:\x\td\data\Y.prn');
x=load('c:\x\td\data\x.tri');
% -----
% Inputs for td library
% Type of aggregation
ta=1;
% Frequency conversion
s=12;
% Model for w: (0,1,1)(1,0,1)
rexw.ar_reg = [1];
rexw.d = 1;
rexw.ma_reg = [1 -0.40];
rexw.ar_sea = [1 0 0 0 0 0 0 0 0 0 0 -0.85];
rexw.bd = 0;
rexw.ma_sea = [1 0 0 0 0 0 0 0 0 0 0 -0.79];
rexw.sigma = 4968.716^2;
% Model for the discrepancy: (1,2,0)(1,0,0)
% See: Martinez and Guerrero, 1995, Test, 4(2), 359-76.
rexd.ar_reg = [1 -0.43];
rexd.d = 2;
rexd.ma_reg = [1];
rexd.ar_sea = [1 0 0 0 0 0 0 0 0 0 0 0.62];
rexd.bd = 0;
rexd.ma_sea = [1];
rexd.sigma = 76.95^2;
% Calling the function: output is loaded in structure res
res=guerrero(Y,x,ta,s,rexw,rexd);
% Calling printing function
% Name of ASCII file for output
file_sal='guerrero.sal';
output=0; % Do not include series
td_print_G(res,file_sal,output);
edit guerrero.sal;
% Calling graph function
td_plot(res);
```


ASCII file containing detailed output:

```
*****
TEMPORAL DISAGGREGATION METHOD: Guerrero
*****

-----
Number of low-frequency observations :      5
Frequency conversion                  :     12
Number of high-frequency observations:     60
Number of extrapolations              :      0
Number of indicators (+ constant)     :      2
-----

Type of disaggregation: sum (flow).
-----

Estimation method: BLUE.
-----

Beta parameters (columnwise):
  * Estimate
  * Std. deviation
  * t-ratios
-----
219988.6766      974531.6756      4.4299
 1723.8723      6174.6540      3.5819
-----

AIC:    7.5245
BIC:    7.3683
-----

Low-frequency correlation (Y,X)
- levels      : 0.9003
- yoy rates   : 0.9973
-----

High-frequency correlation (y,x)
- levels      : 0.9289
- yoy rates   : 0.9835
-----

High-frequency volatility of yoy rates
- estimate    : 3.6623
- indicator   : 6.2899
- ratio       : 0.5823
-----

High-frequency correlation (y,x*beta)
- levels      : 0.9289
- yoy rates   : 0.9832
-----

Compatibility test:
- k :    0.9526
-----
```

ARIMA model for scaled indicator:

(0 1 1) (1 0 1)

- Regular AR operator:

1.0000

- Regular MA operator:

1.0000 -0.4000

- Seasonal AR operator:

1.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 -0.8500

- Seasonal MA operator:

1.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 -0.7900

ARIMA model for discrepancy :

(1 2 0) (1 0 0)

- Regular AR operator:

1.0000 -0.4300

- Regular MA operator:

1.0000

- Seasonal AR operator:

1.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.0000 0.6200

- Seasonal MA operator:

1.0000

Elapsed time: 0.4400

Graphical output contains the same information than in the Chow-Lin case.

C.9. ROSSI

```
function res = rossi(Y,x,z,ta,s,type);
```

PURPOSE: Multivariate temporal disaggregation with transversal constraint

SYNTAX: res = rossi(Y,x,z,ta,s,type);

OUTPUT: res: a structure

```
res.meth = 'Multivariate Rossi';  
res.N    = Number of low frequency data  
res.n    = Number of high frequency data  
res.pred = Number of extrapolations (=0 in this case)  
res.ta   = Type of disaggregation  
res.s    = Frequency conversion  
res.y    = High frequency estimate  
res.et   = Elapsed time
```

INPUT: Y: NxM ---> M series of low frequency data with N observations

x: nxM ---> M series of high frequency data with n observations

z: nx1 ---> high frequency transversal constraint

ta: type of disaggregation

ta=1 ---> sum (flow)

ta=2 ---> average (index)

ta=3 ---> last element (stock) ---> interpolation

ta=4 ---> first element (stock) ---> interpolation

s: number of high frequency data points for each low frequency data points

s= 4 ---> annual to quarterly

s=12 ---> annual to monthly

s= 3 ---> quarterly to monthly

type: univariate temporal disaggregation procedure used to compute preliminary estimates

type = 1 ---> Fernandez

type = 2 ---> Chow-Lin

type = 3 ---> Litterman

LIBRARY: aggreg, vec, desvec, fernandez, chowlin, litterman

SEE ALSO: denton, difonzo, mtd_print, mtd_plot

REFERENCE: Rossi, N. (1982) "A note on the estimation of disaggregate time series when the aggregate is known", Review of Economics and Statistics, vol. 64, n. 4, p. 695-696.

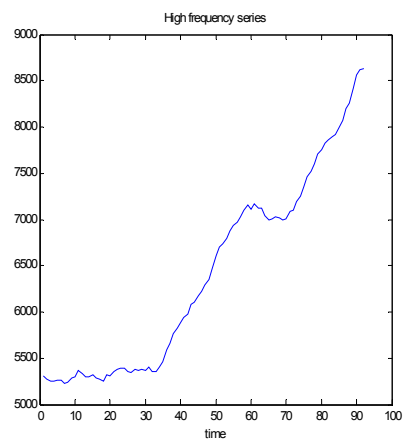
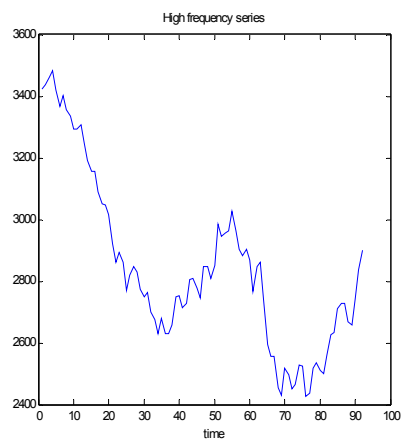
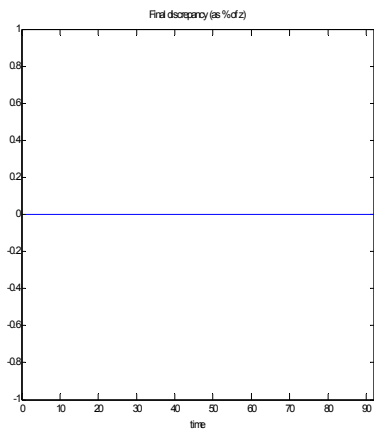
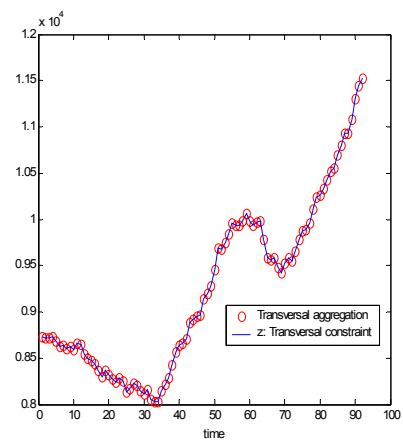
di Fonzo, T. (1994) "Temporal disaggregation of a system of time series when the aggregate is known: optimal vs. adjustment methods", INSEE-Eurostat Workshop on Quarterly National Accounts, Paris, december.

Application:

```
Y=load('YY.anu'); % Loading low frequency data
x=load('x.tri'); % Loading high frequency data
z=load('z.prn'); % Loading high frequency transversal restriction
res=rossi(Y,x,z,2,4,1);
mtd_print(res,'mtd.sal');
edit mtd.sal;
mtd_plot(res,z);
```

ASCII file containing detailed output:

```
*****
TEMPORAL DISAGGREGATION METHOD: Multivariate Rossi
*****
-----
Number of low-frequency observations   :    23
Frequency conversion                   :     4
Number of high-frequency observations  :    92
Number of extrapolations               :     0
-----
Type of disaggregation: average (index).
-----
Preliminary univariate disaggregation:  Fernandez
-----
High frequency series (columnwise):
  * Point estimate
-----
3424.2881  5311.2720
3436.0588  5280.4786
.....
.....
.....
2835.1833  8614.4139
2899.5740  8625.9809
-----
Elapsed time:    1.2600
```



C.10. MULTIVARIATE DENTON

```
function res = denton(Y,x,z,ta,s,d);
```

PURPOSE: Multivariate temporal disaggregation with transversal constraint

SYNTAX: res = denton(Y,x,z,ta,s,d);

OUTPUT: res: a structure

```
res.meth = 'Multivariate Denton';  
res.N    = Number of low frequency data  
res.n    = Number of high frequency data  
res.pred = Number of extrapolations (=0 in this case)  
res.ta   = Type of disaggregation  
res.s    = Frequency conversion  
res.d    = Degree of differencing  
res.y    = High frequency estimate  
res.et   = Elapsed time
```

INPUT: Y: NxM ---> M series of low frequency data with N observations

x: nxM ---> M series of high frequency data with n observations

z: nx1 ---> high frequency transversal constraint

ta: type of disaggregation

ta=1 ---> sum (flow)

ta=2 ---> average (index)

ta=3 ---> last element (stock) ---> interpolation

ta=4 ---> first element (stock) ---> interpolation

s: number of high frequency data points for each low frequency data points

s= 4 ---> annual to quarterly

s=12 ---> annual to monthly

s= 3 ---> quarterly to monthly

d: objective function to be minimized: volatility of ...

d=0 ---> levels

d=1 ---> first differences

d=2 ---> second differences

LIBRARY: aggreg, aggreg_v, dif, vec, desvec

SEE ALSO: difonzo, mtd_print, mtd_plot

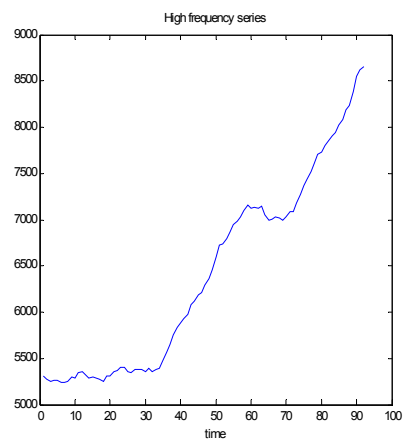
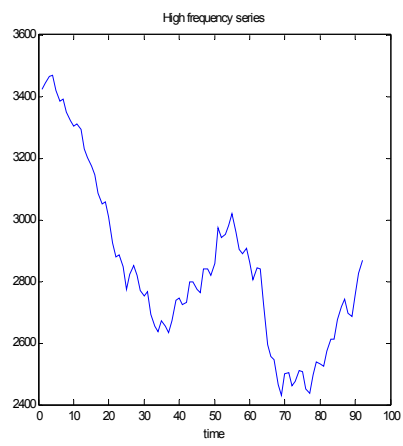
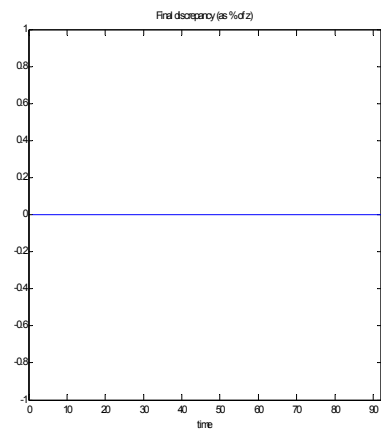
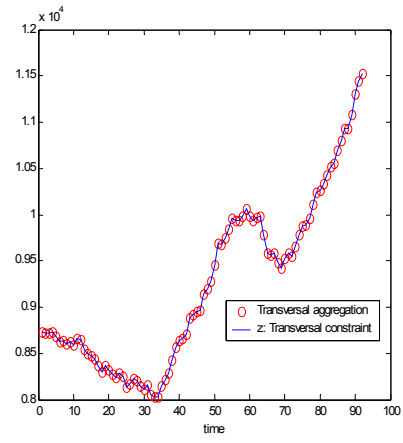
REFERENCE: di Fonzo, T. (1994) "Temporal disaggregation of a system of time series when the aggregate is known: optimal vs. adjustment methods", INSEE-Eurostat Workshop on Quarterly National Accounts, Paris, december

Application:

```
Y=load('YY.anu'); % Loading low frequency data
x=load('x.tri'); % Loading high frequency data
z=load('z.prn'); % Loading high frequency transversal restriction
res=denton(Y,x,z,2,4,1);
mtd_print(res,'mtd.sal');
edit mtd.sal;
mtd_plot(res,z);
```

ASCII file containing detailed output:

```
*****
TEMPORAL DI SAGGREGATION METHOD: Mul ti variate Denton
*****
-----
Number of low-frequency observations : 23
Frequency conversion : 4
Number of high-frequency observations : 92
Number of extrapolations : 0
-----
Degree of differencing : 1
Type of disaggregation: average (index).
-----
High frequency series (columnwise):
* Point estimate
-----
3752.9096 4982.6505
3459.3681 5257.1693
.....
.....
.....
2757.8458 8545.8074
2825.1411 8624.4561
2867.5816 8657.9733
-----
Elapsed time: 0.2800
```



C.11. DI FONZO

```
function res = difonzo(Y,x,z,ta,s,type,f);
```

PURPOSE: Multivariate temporal disaggregation with transversal constraint

SYNTAX: res = difonzo(Y,x,z,ta,s,type,f);

OUTPUT: res: a structure

```
res.meth = 'Multivariate di Fonzo';  
res.N    = Number of low frequency data  
res.n    = Number of high frequency data  
res.pred = Number of extrapolations  
res.ta   = Type of disaggregation  
res.s    = Frequency conversion  
res.type = Model for high frequency innovations  
res.beta = Model parameters  
res.y    = High frequency estimate  
res.d_y  = High frequency estimate: std. deviation  
res.et   = Elapsed time
```

INPUT: Y: NxM ---> M series of low frequency data with N observations

x: nxm ---> m series of high frequency data with n observations, m>=M see (*)

z: nx1 ---> high frequency transversal constraint with nz obs.

ta: type of disaggregation

ta=1 ---> sum (flow)

ta=2 ---> average (index)

ta=3 ---> last element (stock) ---> interpolation

ta=4 ---> first element (stock) ---> interpolation

s: number of high frequency data points for each low frequency data points

s= 4 ---> annual to quarterly

s=12 ---> annual to monthly

s= 3 ---> quarterly to monthly

type: model for the high frequency innvations

type=0 ---> multivariate white noise

type=1 ---> multivariate random walk

(*) Optional:

f: 1xM ---> Set the number of high frequency indicators linked to
each low frequency variable. If f is explicitly included,
the high frequency indicators should be placed in
consecutive columns

NOTE: Extrapolation is automatically performed when n>sN.

If n=nz>sN restricted extrapolation is applied.

Finally, if n>nz>sN extrapolation is perfomed in constrained
form in the first nz-sN observatons and in free form in
the last n-nz observations.

LIBRARY: aggreg, dif, vec, desvec

SEE ALSO: denton, mtd_print, mtd_plot

REFERENCE: di Fonzo, T. (1990) "The estimation of M disaggregate time
series when contemporaneous and temporal aggregates are known", Review
of Economics and Statistics, vol. 72, n. 1, p. 178-182.

Application:

```
Y=load('YY.anu'); % Loading low frequency data
x=load('x.tri'); % Loading high frequency data
z=load('z.prn'); % Loading high frequency transversal restriction
res = difonzo(Y,x,z,2,4,1);
mtd_print(res,'mtd.sal');
edit mtd.sal;
mtd_plot(res,z);
```

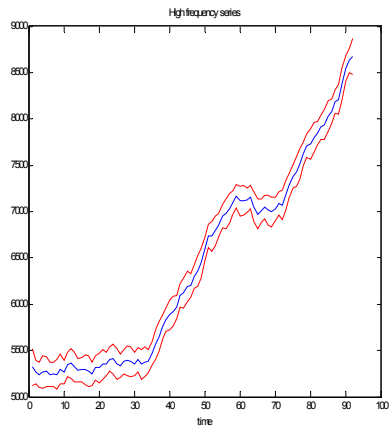
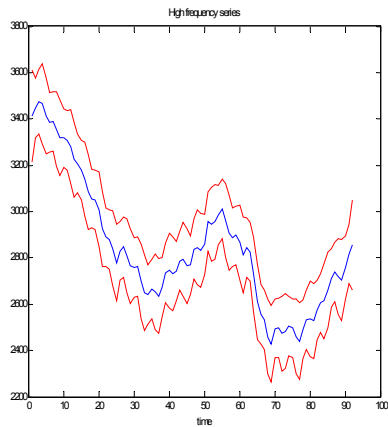
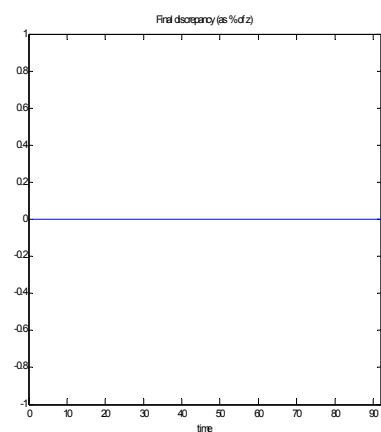
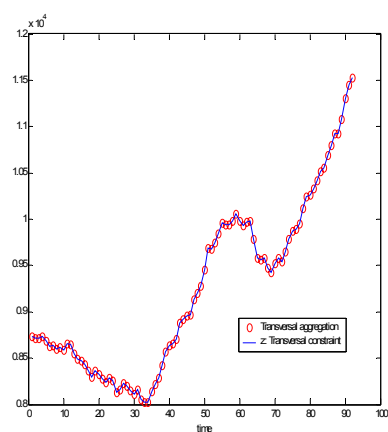
ASCII file containing detailed output:

```
*****
TEMPORAL DI SAGGREGATION METHOD: Multivariate di Fonzo
*****
-----
Number of low-frequency observations : 23
Frequency conversion : 4
Number of high-frequency observations : 92
Number of extrapolations : 0
-----
Model for the innovations: random walk.
Type of disaggregation: average (index).
-----
High frequency series (columnwise):
* Point estimate
-----
3413.3839 5322.1762
3447.4092 5269.1282
.....
.....
.....
2758.4657 8545.1875
2817.9882 8631.6090
2856.1605 8669.3944
```

High frequency series (columnwise):
 * Std. deviation

197.8732	197.8732
127.3900	127.3900
.....
.....
137.9397	137.9397
128.1006	128.1006
194.9112	194.9112

Elapsed time: 0.3300



APPENDIX D: Additional notes

This release³ of the Matlab temporal disaggregation library includes some new features:

- stock first as a temporal disaggregation case (interpolation)
- new graphs for univariate Denton
- univariate Denton, proportional variant
- univariate temporal disaggregation by means of an ARIMA model-based procedure due to Guerrero (1990)
- multivariate temporal disaggregation by means of an two-step method due to Rossi (1982). The first step requires a preliminary univariate disaggregation that may be performed by Fernández, Chow-Lin or Litterman.

The library includes a set of function to perform temporal disaggregation (distribution, averaging and interpolation), according to the following structure:

Adjustment or quadratic programming methods:

- bfl (Boot-Feibes-Lisman)
- denton_uni, denton_uni_prop
- sw (Stram-Wei method)

served by: tduni_print (ASCII output), tduni_plot (graphic output)

Model-based (or BLUE) methods:

- chowlin
- fernandez
- litterman
- ssc (Santos Silva-Cardoso method: a dynamic version of Chow-Lin)

served by: td_print (ASCII output), td_plot (graphic output)

- guerrero

served by: td_print_G (ASCII output), td_plot (graphic output)

Multivariate methods that include a transversal restriction:

- rossi
- denton
- difonzo

served by: mtd_print (ASCII output), mtd_plot (graphic output)

Extrapolation is feasible using chowlin, fernandez, litterman, ssc and difonzo. Constrained extrapolation can be performed also by means of difonzo.

The presentation of the functions is self-contained: help text, script to run the function and output (ASCII file and plots).

This library is rather specific. Combining it with the Econometrics Toolbox of Professor James LeSage is a sensible decision. In fact, some procedures require to have access to it, although this dependence may be circumvented by appropriate code modification. For more information, consult his Internet site:

<http://jpl.econ.utoledo.edu/faculty/lesage>

³ Sequence of releases: First version: December, 2002. Second version: November, 2003. This version: August, 2004.

APPENDIX E: RELATIONSHIPS AMONG FUNCTIONS IN THE LIBRARY

The “ $X \rightarrow Y$ ” notation means “X function calls Y function”.

- $\text{bfl} \rightarrow \text{sw}$
- $\text{denton_uni} \rightarrow \text{aggreg}, \text{bfl}$
- $\text{sw} \rightarrow \text{aggreg}, \text{aggreg_v}, \text{dif}, \text{movingsum}$

- $\text{chowlin} \rightarrow \text{aggreg}$
- $\text{fernandez} \rightarrow \text{aggreg}$
- $\text{litterman} \rightarrow \text{aggreg}$
- $\text{ssc} \rightarrow \text{aggreg}$
- $\text{guerrero} \rightarrow \text{aggreg}, \text{calT}, \text{numpar}, \text{ols}^{(*)}$

- $\text{rossi} \rightarrow \text{aggreg}, \text{vec}, \text{desvec}, \text{fernandez}, \text{chowlin}, \text{litterman}$
- $\text{denton} \rightarrow \text{aggreg}, \text{aggreg_v}, \text{dif}, \text{vec}, \text{desvec}$
- $\text{difonzo} \rightarrow \text{aggreg}, \text{dif}, \text{vec}, \text{desvec}$

- $\text{bal} \rightarrow \text{vec}, \text{desvec}$
- $\text{td_print} \rightarrow \text{tasa}, \text{aggreg}$
- $\text{td_print_G} \rightarrow \text{tasa}, \text{aggreg}, \text{mprint}^{(*)}$
-
- $\text{td_plot} \rightarrow \text{tasa}$
- $\text{tduni_plot} \rightarrow \text{temporal_agg}$

^(*) From James Lesage's *Econometric Toolbox*

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